d-comp^{0,22}

d-comp(D;v;*sched*;*dec*)(t,f)
$\equiv_{\text{def}}$ let $s = \lambda i$.if $t{=}_2 0 \rightarrow \lambda x$.M($i$).init($x$)?$v(i,x)$ else 1of($f(t{-}1,i)$) fi in
λi.let $si = s(i)$ in
let w = d-partial-world(D;f;t;s) in
let a = Case *sched*(i) of
inl(f) $\Rightarrow$ Case $f(t)$ of
inl(l) $\Rightarrow$ if destination(l) = $i \wedge_2 0{<}_2$‖queue(l;t)‖$\rightarrow$
doact(rcv(l,mtag(hd(queue(l;t))))
;mval(hd(queue(l;t))))
else null fi
inr(a) $\Rightarrow$ if isl(*dec*(i,a,si))$\rightarrow$ doact(inr(a);outl(*dec*(i,a,si)))
else null fi
inr(x) $\Rightarrow$ null in
let m = if isl(a)$\rightarrow$ nil
else filter(λm.source(mlnk(m)) = i
;M(i).sends(1of(outr(a)),si,2of(outr(a)))) fi in
let s' = if isl(a)$\rightarrow$ si
else λx.M(i).ef(1of(outr(a)),x,si,2of(outr(a)))?$si(x)$ fi in
$\langle s', a, m\rangle$

clarification:

d-comp(D;v;*sched*;*dec*)(t,f)
$\equiv_{\text{def}}$ let $s = \lambda i$.if $t{=}_2 0 \rightarrow \lambda x$.d-m($D$; i).init(x)?$v(i,x)$ else 1of($f(t{-}1,i)$) fi in
λi.let $si = s(i)$ in
let w = d-partial-world(D;f;t;s) in
let a = Case *sched*(i) of
inl(f) $\Rightarrow$ Case $f(t)$ of
inl(l) $\Rightarrow$ if destination(l) = $i \wedge_2 0{<}_2$‖w-queue(w; l; t)‖$\rightarrow$
doact(rcv(l,mtag(hd(w-queue(w; l; t))))
;mval(hd(w-queue(w; l; t))))
else null fi
inr(a) $\Rightarrow$ if isl(*dec*(i,a,si))$\rightarrow$ doact(inr(a);outl(*dec*(i,a,si)))
else null fi
inr(x) $\Rightarrow$ null in
let m = if isl(a)$\rightarrow$ nil
else filter(λm.source(mlnk(m)) = i
;d-m(D; i).sends(1of(outr(a)),si,2of(outr(a)))) fi in
let s' = if isl(a)$\rightarrow$ si
else λx.d-m(D; i).ef(1of(outr(a)),x,si,2of(outr(a)))?$si(x)$ fi in
$\langle s', a, m\rangle$

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http://www.cs.cornell.edu/Info/Projects/NuPrl/FDLcontent/p0_286125_/p12_68442_{d-comp}.html